

**IDEALS OF OPERATORS ON ORDERED SPACES
(JOINT WORK WITH E.SPINU)**

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ABSTRACT. Suppose X and Y are ordered spaces (for instance, C^* -algebras, or non-commutative function spaces). We investigate the ideals of operators from X to Y , focusing on two questions.

- (i) The domination problem: suppose T and S are positive operators from X to Y , so that S belongs to a certain ideal I , and dominates T . Must T belong to the same ideal?
- (ii) The inclusion of ideals: if I and J are operator ideals, when is $I(X, Y)$ a subset of $J(X, Y)$? The same question can be asked for positive parts of these ideals.

We mostly concentrate on the ideals of compact, weakly compact, strictly singular, finitely strictly singular, and inessential operators.